

**CHAPTER 1****MULTIPLE REGRESSION****1. (C) multicollinearity****Explanation**

An indication of multicollinearity is when the independent variables individually are not statistically significant but the F-test suggests that the variables as a whole do an excellent job of explaining the variation in the dependent variable.

(Module 1.3, LOS 1.j)

**Related Material**

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**2. (B) 59.18****Explanation**

$$34.98 + 1.2(16) + 0.5(10) = 59.18$$

(Module 1.2 LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

**3. (B) 9.7%****Explanation**

$$Y = b_0 + bX_1$$

$$Y = 2.1 + 1.9(4) = 9.7\%$$

(Module 1.2 LOS 1.f)

**Related Material**

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**4. (B) 72.1%****Explanation**

The coefficient of determination,  $R^2$ , is the square the correlation coefficient.  
 $0.849^2 = 0.721$ .

(Module 1.2 LOS 1.d)

**Related Material**

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5. (C) **only Statement 2 is correct.**

**Explanation**

Multiple regression models can be used to identify relations between variables, forecast the dependent variable, and test existing theories. Statement 1 is inaccurate because it mentions forecast independent (and not dependent) variables.

(Module 1.2 LOS 1.a)

**Related Material**

[SchweserNotes - Book 1](#)

6. (B) **The credit spread on the firm's issue will decrease by 32 bps.**

**Explanation**

The coefficient on the index dummy variable is  $-0.32$ , and if the variable takes a value of 1 (inclusion in the index), the credit spread would decrease by  $0.32\%$ , or 32 bps.

(Module 1.1, LOS 1.b)

**Related Material**

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7. (B) **The dependent variable is not serially correlated.**

**Explanation**

The assumption calls for the residual (or errors) to be not serially correlated. The dependent variable can have serial correlation. Other assumptions are accurate.

(Module 1.1, LOS 1.c)

**Related Material**

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8. (B) **Error term is normally distributed.**

**Explanation**

A normal QQ plot of the residuals can visually indicate violation of the assumption that the residuals are normally distributed.

(Module 1.1, LOS 1.c)

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9. (B) **\$256,000.**

**Explanation**

$$66,500 + 74,30(2,000) + 10,306(4) = \$256,324$$

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

10. (B) **be rejected as the calculated F of 40.73 is greater than the critical value of 3.33.**

**Explanation**

We can reject the null hypothesis that coefficients of both independent variables equal 0. The F value for comparison is  $F_{2,29} = 3.33$ . The degrees of freedom in the numerator is 2; equal to the number of independent variables. Degrees of freedom for the denominator is  $32 - (2 + 1) = 29$ . The critical value of the F-test needed to reject the null hypothesis is thus 3.33. The actual value of the F-test statistic is 40.73, so the null hypothesis should be rejected, as the calculated F of 40.73 is greater than the critical value of 3.33.

(Module 1.2, LOS 1.e)

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11. (B) **Multicollinearity**

**Explanation**

Multicollinearity is present in a regression model when some linear combination of the independent variables are highly correlated. We are told that the two independent variables in this question are highly correlated. We also recognize that unconditional heteroskedasticity is present — but this would not pose any major problems in using this model for forecasting. No information is given about autocorrelation in residuals, but this is generally a concern with time series data (in this case, the model uses cross-sectional data).

(Module 1.3, LOS 1.j)

**Related Material**

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12. (B) **will change by 0.6% when the natural logarithm of assets under management changes by 1.0, holding index constant.**

**Explanation**

A slope coefficient in a multiple linear regression model measures how much the dependent variable changes for a one-unit change in the independent variable, holding all other independent variables constant. In this case, the

independent variable size (= ln average assets under management) has a slope coefficient of 0.6, indicating that the dependent variable ARAR will change by 0.6% return for a one-unit change in size, assuming nothing else changes. Pay attention to the units on the dependent variable.

(Module 1.1, LOS 1.b)

**Related Material**

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**13. (B) 0.52.**

**Explanation**

The t-statistic for testing the null hypothesis  $H_0: \beta_i = 0$  is  $t = (b_i - 0) / \beta_i$ , where  $\beta_i$  is the population parameter for independent variable  $i$ ,  $b_i$  is the estimated coefficient, and  $\beta_i$  is the coefficient standard error. Using the information provided, the estimated coefficient standard error can be computed as  $b_{\text{Index}} / t = \beta_{\text{Index}} = 1.1 / 2.1 = 0.5238$ .

(Module 1.1, LOS 1.b)

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**14. (B) 3.33.**

**Explanation**

The t-statistic for testing the null hypothesis  $H_0: \beta_i = 0$  is  $t = (b_i - 0) / \sigma_i$ , where  $\beta_i$  is the population parameter for independent variable  $i$ ,  $b_i$  is the estimated coefficient, and  $\sigma_i$  is the coefficient standard error. Using the information provided, the t-statistic for size can be computed as  $t = b_{\text{Size}} / \sigma_{\text{Size}} = 0.6 / 0.18 = 3.3333$ .

(Module 1.1, LOS 1.b)

**Related Material**

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**15. (A) -2.86.**

**Explanation**

The t-statistic for testing the null hypothesis  $H_0: \beta_i = 0$  is  $t = (b_i - 0) / \sigma_i$ , where  $\sigma_i$  is the population parameter for independent variable  $i$ ,  $b_i$  is the estimated parameter, and  $\sigma_i$  is the parameter's standard error. Using the information provided, the estimated intercept can be computed as  $b_0 = t \times \sigma_0 = -5.2 \times 0.55 = -2.86$ .

(Module 1.1, LOS 1.b)

**Related Material**

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**16. (A) 5.****Explanation**

The F-statistic is equal to the ratio of the mean squared regression to the mean squared error.

$$F = MSR / MSE = 20 / 4 = 5.$$

(Module 1.2, LOS 1.e)

**Related Material**

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**17. (B) Homoskedasticity****Explanation**

Homoskedasticity refers to the basic assumption of a multiple regression model that the variance of the error terms is constant.

(Module 1.1, LOS 1.c)

**Related Material**

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**18. (C) Incorrectly pooling data.****Explanation**

The relationship between returns and the dependent variables can change over time, so it is critical that the data be pooled correctly. Running the regression for multiple sub-periods (in this case two) rather than one time period can produce more accurate results.

(Module 1.3, LOS 1.g)

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**19. (C)  $R = a + bM + c_1D_1 + c_2D_2 + \varepsilon$ , where  $D_1 = 1$  if the return is from the first manager, and  $D_2 = 1$  if the return is from the third manager.****Explanation**

The effect needs to be measured by two distinct dummy variables. The use of three variables will cause collinearity, and the use of one dummy variable will not appropriately specify the manager impact.

(Module 1.4, LOS 1.i)

**Related Material**

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**20. (B) regression should have higher sum of squares regression as a ratio to the total sum of squares.****Explanation**

The index fund regression should provide a higher  $R^2$  than the active manager regression.  $R^2$  is the sum of squares regression divided by the total sum of

squares.

(Module 1.2, LOS 1.d)

**Related Material**

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21. (B) All of the parameter estimates are significantly different than zero at the 5% level of significance.

**Explanation**

At 5% significance and 97 degrees of freedom ( $100 - 3$ ), the critical t-value is slightly greater than, but very close to, 1.984. The t-statistic for the intercept and *index* are provided as  $-5.2$  and  $2.1$ , respectively, and the t-statistic for size is computed as  $0.6 / 0.18 = 3.33$ . The absolute value of the all of the regression intercepts is greater than  $t_{\text{critical}} = 1.984$ . Thus, it can be concluded that all of the parameter estimates are significantly different than zero at the 5% level of significance.

(Module 1.1, LOS 1.b)

**Related Material**

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22. (C) The error term is linearly related to the dependent variable.

**Explanation**

The assumptions of multiple linear regression include: linear relationship between dependent and independent variable, independent variables are not random and no exact linear relationship exists between the two or more independent variables, error term is normally distributed with an expected value of zero and constant variance, and the error term is serially uncorrelated.

(Module 1.1, LOS 1.b)

**Related Material**

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23. (B) TEEN only.

**Explanation**

The critical t-values for  $40 - 3 - 1 = 36$  degrees of freedom and a 5% level of significance are  $\pm 2.028$ . Therefore, only TEEN is statistically significant.

(Module 1.1, LOS 1.b)

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24. (A) 1 1

**Explanation**

Assigning a zero to both categories is appropriate for someone with neither degree. Assigning one to the business category and zero to the engineering

category is appropriate for someone with only a business degree. Assigning zero to the business category and one to the engineering category is appropriate for someone with only an engineering degree. Assigning a one to both categories is correct because it reflects the possession of both degrees.

(Module 1.4, LOS 1.I)

**Related Material**

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- 25. (B) The adjusted- $R^2$  is greater than the  $R^2$  in multiple regression.**

**Explanation**

The adjusted- $R^2$  will always be less than  $R^2$  in multiple regression.

(Module 1.2, LOS 1.d)

**Related Material**

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- 26. (B) Omit one or more of the collinear variables.**

**Explanation**

The first differencing is not a remedy for the collinearity, nor is the inclusion of dummy variables. The best potential remedy is to attempt to eliminate highly correlated variables.

(Module 1.3, LOS 1.i)

**Related Material**

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- 27. (B) Because the test statistic of 7.20 is lower than the critical value of 7.81, we fail to reject the null hypothesis of no conditional heteroskedasticity in residuals.**

**Explanation**

The chi-square test statistic =  $n \times R^2 = 120 \times 0.06 = 7.20$ .

The one-tailed critical value for a chi-square distribution with  $k = 3$  degrees of freedom and  $\alpha$  of 5% is 7.81. Therefore, we should not reject the null hypothesis and conclude that we don't have a problem with conditional heteroskedasticity.

(Module 1.3, LOS 1.h)

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- 28. (C) Data improperly pooled.**

**Explanation**

Out of the four forms of model misspecifications, serial correlation in residuals may be caused by omission of important variables (not an answer choice) and by improper data pooling.

(Module 1.3, LOS 1.g)

**Related Material**

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**29. (B) No.**

**Explanation**

The BG test statistic has an F-distribution with  $p$  and  $n - p - k - 1$  degrees of freedom, where  $p$  = the number of lags tested. Given  $n = 120$  and  $k = 3$ , critical F-values (5% level of significance) are 3.92 ( $p = 1$ ) and 3.08 ( $p = 2$ ). BG stats in **Indian Equities—Fama-French Model** are lower than the critical F-values; therefore, serial correlation does not seem to be a problem for both lags.

(Module 1.3, LOS 1.i)

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**30. (C) No.**

**Explanation**

Multicollinearity is detected using the variance inflation factor (VIF). VIF values greater than 5 (i.e.,  $R^2 > 80\%$ ) warrant further investigation, while values above 10 (i.e.,  $R^2 > 90\%$ ) indicate severe multicollinearity. None of the variables have  $VIF > 5$ .

(Module 1.3, LOS 1.j)

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**31. (C) Unconditional heteroskedasticity.**

**Explanation**

Unconditional heteroskedasticity does not impact the statistical inference concerning the parameters. Misspecified models have inconsistent and biased regression parameters. Multicollinearity results in unreliable estimates of regression parameters.

(Module 1.3, LOS 1.h)

(Module 1.3, LOS 1.i)

(Module 1.3, LOS 1.j)

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**32. (B) heteroskedasticity.**

**Explanation**

Heteroskedasticity is present when the variance of the residuals is not the same across all observations in the sample, and there are sub-samples that are more spread out than the rest of the sample.

(Module 1.3, LOS 1.h)

**Related Material**

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- 33. (B) This model is in accordance with the basic assumptions of multiple regression analysis because the errors are not serially correlated.**

**Explanation**

One of the basic assumptions of multiple regression analysis is that the error terms are not correlated with each other. In other words, the error terms are not serially correlated. Multicollinearity and heteroskedasticity are problems in multiple regression that are not related to the correlation of the error terms.

(Module 1.3, LOS 1.i)

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- 34. (B) the variance of the error term is correlated with the values of the independent variables.**

**Explanation**

Conditional heteroskedasticity exists when the variance of the error term is correlated with the values of the independent variables.

Multicollinearity, on the other hand, occurs when two or more of the independent variables are highly correlated with each other. Serial correlation exists when the error terms are correlated with each other.

(Module 1.3, LOS 1.j)

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- 35. (C) Type I error by incorrectly rejecting the null hypotheses that the regression parameters are equal to zero.**

**Explanation**

One problem with conditional heteroskedasticity while working with financial data, is that the standard errors of the parameter estimates will be too small and the t-statistics too large. This will lead Smith to incorrectly reject the null hypothesis that the parameters are equal to zero. In other words, Smith will incorrectly conclude that the parameters are statistically significant when in fact they are not. This is an example of a Type I error: incorrectly rejecting the null hypothesis when it should not be rejected.

(Module 1.3, LOS 1.h)

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- 36. (B) The  $R^2$  is high, the F-statistic is significant and the t-statistics on the individual slope coefficients are insignificant.**

**Explanation**

Multicollinearity occurs when two or more of the independent variables, or linear combinations of independent variables, may be highly correlated with each other. In a classic effect of multicollinearity, the  $R^2$  is high and the F-statistic is significant, but the t-statistics on the individual slope coefficients are insignificant.

(Module 1.3, LOS 1.j)

**Related Material**

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- 37. (C) the error terms are correlated with each other.**

**Explanation**

Serial correlation (also called autocorrelation) exists when the error terms are correlated with each other.

Multicollinearity, on the other hand, occurs when two or more of the independent variables are highly correlated with each other. One assumption of multiple regression is that the error term is normally distributed.

(Module 1.3, LOS 1.i)

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- 38. (B) Model TWO because it has a higher adjusted  $R^2$ .**

**Explanation**

Model TWO has a higher adjusted  $R^2$  and thus would produce the more reliable estimates. As is always the case when a variable is removed,  $R^2$  for Model TWO is lower. The increase in adjusted  $R^2$  indicates that the removed variable, Q3, has very little explanatory power, and removing it should improve the accuracy of the estimates. With respect to the references to autocorrelation, we can compare the Durbin-Watson statistics to the critical values on a Durbin-Watson table.

Since the critical DW statistics for Model ONE and TWO respectively are 1.01 ( $> 0.7856$ ) and 1.10 ( $> 0.7860$ ), serial correlation is a problem for both equations.

(Module 1.2, LOS 1.d)

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**39. (B) \$51.09 million.****Explanation**

The estimate for the second quarter of the following year would be (in millions):

$$31.4083 + (-2.4631) + (24 + 2) \times 0.851786 = 51.091666.$$

(Module 1.2, LOS 1.f)

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**40. (C) Inappropriate variable scaling.****Explanation**

Inappropriate variable scaling may lead to multicollinearity or heteroskedasticity in residuals. Omission of important variable may lead to biased and inconsistent regression parameters and also heteroskedasticity/serial correlation in residuals. Inappropriate variable form can lead to heteroskedasticity in residuals.

(Module 1.3, LOS 1.g)

**Related Material**

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**41. (B) Regression coefficients will be unbiased but standard errors will be biased.****Explanation**

Presence of conditional heteroskedasticity will not affect the consistency of regression coefficients but will bias the standard errors leading to incorrect application of t-tests for statistical significance of regression parameters.

(Module 1.3, LOS 1.h)

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**42. (B) the intercept is essentially the dummy for the fourth quarter.**

The fourth quarter serves as the base quarter, and for the fourth quarter,  $Q1 = Q2 = Q3 = 0$ . Had the model included a Q4 as specified, we could not have had an intercept. In that case, for Model ONE for example, the estimate of Q4 would have been 31.40833. The dummies for the other quarters would be the 31.40833 plus the estimated dummies from the Model ONE. In a model that included Q1, Q2, Q3, and Q4 but no intercept, for example:

$$Q1 = 31.40833 + (-3.77798) = 27.63035$$

Such a model would produce the same estimated values for the dependent variable.

(Module 1.4, LOS 1.I)

**Related Material**

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43. (C) **grow, but by less than \$1,000,000.**

**Explanation**

The specification of Model TWO essentially assumes there is no difference attributed to the change of the season from the third to fourth quarter. However, the time trend is significant. The trend effect for moving from one season to the next is the coefficient on TREND times \$1,000,000 which is \$852,182 for Equation TWO.

(Module 1.1, LOS 1.b)

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44. (B) **0.37.**

**Explanation**

Given  $n = 120$  months,  $k = 4$  (for Model 2), and  $R^2 = 0.39$ :

$$R_a^2 = 1 - \left[ \left( \frac{120 - 1}{120 - 4 - 1} \right) \times (1 - 0.39) \right] = 0.37$$

(Module 1.2, LOS 1.d)

**Related Material**

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45. (B) **Model 2 because it has a lower Akaike information criterion.**

**Explanation**

The Akaike information criterion (AIC) is used if the goal is to have a better forecast, while the Bayesian information criterion (BIC) is used if the goal is a better goodness of fit. Lower values of both criteria indicate a better model. Both criteria are lower for Model 2.

(Module 1.2, LOS 1.d)

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46. (B) **13.33.**

**Explanation**

$$F = \frac{(SSE_R - SSE_U) / q}{(SSE_U) / (n - k - 1)}$$

where  $n = 120$ ,  $k = 4$ , and  $q = 1$ .

$$\frac{(38 - 34) / 1}{(34) / (120 - 4 - 1)} = 13.33$$

Module 1.2, LOS 1.d)

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**47. (C) 6.80%.****Explanation****Model 1:**

Return =  $1.22 + 0.23 \times \text{SMB} + 0.34 \times \text{HML} + 0.88 \times \text{Rm} - \text{Rf}$

=  $1.22 + 0.23 \times 3.30 + 0.34 \times 1.25 + 0.88 \times 5 = 6.80\%$ .

(Module 1.2, LOS 1.d)

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**48. (A) The variance of the error terms is not constant (i.e., the errors are heteroskedastic).****Explanation**

The variance of the error term IS assumed to be constant, resulting in errors that are homoskedastic.

(Module 1.1, LOS 1.c)

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**49. (A)  $\text{SALES} = \alpha + \beta_1 \text{POP} + \beta_2 \text{INCOME} + \beta_3 \text{ADV} + \varepsilon$ .****Explanation**

SALES is the dependent variable. POP, INCOME, and ADV should be the independent variables (on the right hand side) of the equation (in any order). Regression equations are additive.

(Module 1.1, LOS 1.b)

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**50. (A) The F-statistic suggests that the overall regression is significant, however the regression coefficients are not individually significant.****Explanation**

One symptom of multicollinearity is that the regression coefficients may not be individually statistically significant even when according to the F-statistic the overall regression is significant. The problem of multicollinearity involves the existence of high correlation between two or more independent variables. Clearly, as service employment rises, construction employment must rise to facilitate the growth in these sectors. Alternatively, as manufacturing employment rises, the service sector must grow to serve the broader manufacturing sector.

- The variance of observations suggests the possible existence of heteroskedasticity.
- If the Durbin—Watson statistic may be used to test for serial correlation at a single lag.

(Module 1.2, LOS 1.f)

#### **Related Material**

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#### **51. (C) The independent variable is correlated with the residuals.**

##### **Explanation**

Although the linear regression model is fairly insensitive to minor deviations from any of these assumptions, the independent variable is typically uncorrelated with the residuals.

(Module 1.1, LOS 1.c)

#### **Related Material**

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#### **52. (C) 0.916, indicating that the variability of industry returns explains about 91.6% of the variability of company returns.**

##### **Explanation**

The coefficient of determination ( $R^2$ ) is the percentage of the total variation in the dependent variable explained by the independent variable.

The  $R^2 = (RSS / SS) \text{ Total} = (3,257 / 3,555) = 0.916$ . This means that the variation of independent variable (the airline industry) explains 91.6% of the variations in the dependent variable (Pinnacle stock).

(Module 1.2, LOS 1.d)

#### **Related Material**

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#### **53. (C) predicted value of the independent variable equals 15.**

##### **Explanation**

Note that the easiest way to answer this question is to plug numbers into the

equation.

The predicted value for  $Y = 1.75 + 3.25(15) = 50.50$ .

The variable  $X_1$  represents the independent variable.

(Module 1.2, LOS 1.f)

**Related Material**

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**54. (C) Points 2, 3, and 4.**

**Explanation**

One of the basic assumptions of regression analysis is that the variance of the error terms is constant, or homoskedastic. Any violation of this assumption is called heteroskedasticity.

Therefore, Point 1 is incorrect, but Point 4 is correct because it describes conditional heteroskedasticity, which results in unreliable estimates of standard errors. Points 2 and 3 also describe limitations of regression analysis.

(Module 1.1, LOS 1.c)

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**55. (A) 66.76%.**

**Explanation**

The  $R^2$  tells us how much of the change in the dependent variable is explained by the changes in the independent variables in the regression: 0.667632.

(Module 1.2, LOS 1.d)

**Related Material**

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**56. (A) No, because the BG statistic is less than the critical test statistic of 3.55, we don't have evidence of serial correlation.**

**Explanation**

Number of lags tested =  $p = 2$ . The appropriate test statistic for BG test is F-stat with  $(p = 2)$  and  $(n - p - k - 1 = 18)$  degrees of freedom. From the table, critical value = 3.55.

(Module 1.3, LOS 1.i)

**Related Material**

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**57. (A) of 1.30 indicates that we cannot reject the hypothesis that the coefficient**

**of small-cap index is not significantly different from 0.**

**Explanation**

$$SSE_R = SST - RSS_R = 164.9963 - 106.3320 = 58.6643$$

$$F = [(SSE_R - SSE_U) / q] / [SSE_U / (n - k - 1)] \\ = [(58.6643 - 54.8395) / 1] / (54.8395 / 20) = 3.8248 / 2.742 = 1.30$$

Critical  $F_{(1, 20)} = 4.35$  (from Exhibit 1)

Since the test statistic is not greater than the critical value, we cannot reject the null hypothesis that  $b_2 = 0$ .

(Module 1.2, LOS 1.e)

**Related Material**

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**58. (C) neither the Durbin-Watson test nor the Breusch-Pagan test.**

**Explanation**

Breusch-Godfrey and Durbin-Watson tests are for serial correlation. The Breusch-Pagan test is for conditional heteroskedasticity; it tests to see if the size of the independent variables influences the size of the residuals. Although tests for unconditional heteroskedasticity exist, they are not part of the CFA curriculum, and unconditional heteroskedasticity is generally considered less serious than conditional heteroskedasticity.

(Module 1.3, LOS 1.h)

(Module 1.3, LOS 1.i)

**Related Material**

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**59. (A) 2.322.**

**Explanation**

The forecast of the return of the fund would be the intercept plus the coefficient on the January effect:  $2.322 = -0.238214 + 2.560552$ .

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

**60. (B) multicollinearity**

**Explanation**

When the F-test and the t-tests conflict, multicollinearity is indicated.

(Module 1.3, LOS 1.j)

**Related Material**

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**61. (A) 10.00**

**Explanation**

The F-statistic is equal to the ratio of the mean squared regression to the mean squared error,

$$F = MSR/MSE = 20/2 = 10.$$

(Module 1.2, LOS 1.e)

**Related Material**

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**62. (A) heteroskedasticity**

**Explanation**

The residuals appear to be from two different distributions over time. In the earlier periods, the model fits rather well compared to the later periods.

(Module 1.3, LOS 1.h)

**Related Material**

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**63. (A) Breusch-Godfrey test**

**Explanation**

The Breusch-Godfrey test is used to detect serial correlation. The Breusch-Pagan test is a formal test used to detect heteroskedasticity while a scatter plot can give visual clues about presence of heteroscedasticity.

(Module 1.3, LOS 1.h)

**Related Material**

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**64. (C) Model misspecification.**

**Explanation**

When data are improperly pooled over multiple economic environments in a multiple regression analysis, the model would be misspecified.

(Module 1.3, LOS 1.g)

**Related Material**

[SchweserNotes - Book 1](#)

**65. (C) incorrect to agree with Voiku's list of assumptions because two of the assumptions are stated incorrectly.**

**Explanation**

Assumption 2 is stated incorrectly. Some correlation between independent variables is unavoidable; and high correlation results in multicollinearity. However, an exact linear relationship between linear combinations of two or more independent variables should not exist.

Assumption 4 is also stated incorrectly. The assumption is that the residuals are serially uncorrelated (i.e., they are not serially correlated).

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**66. (B) Hypothesis 2.**

**Explanation**

The critical values at the 1% level of significance (99% confidence) are 2.348 for a one-tail test and 2.604 for a two-tail test (df = 176).

The t-values for the hypotheses are:

**Hypothesis 1:**  $11.7 / 6.8 = 1.72$

**Hypothesis 2:**  $14.2 / 5.4 = 2.63$

**Hypothesis 3:**  $12.0 / 2.6 = 4.6$ , so the hypothesis is that the coefficient is greater than 4.6, and the t-stat of that hypothesis is  $(4.6 - 4.6) / 3.5 = 0$ .

**Hypothesis 4:**  $(5.2 + 1) / 5.9 = 1.05$

Hypotheses 1 and 3 are one-tail tests; 2 and 4 are two-tail tests. Only Hypothesis 2 exceeds the critical value, so only Hypothesis 2 should be rejected.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**67. (A) reject the the null hypothesis because the F-statistic is larger than the critical F-value of 2.66.**

**Explanation**

$RSS = 368.7 - 140.3 = 228.4$ ,  $F\text{-statistic} = (228.4 / 3) / (140.3 / 176) = 95.51$ . The critical value for a one-tailed 5% F-test with 3 and 176 degrees of freedom is 2.66. Because the F-statistic is greater than the critical F-value, the null hypothesis that all of the independent variables are simultaneously equal to zero should be rejected.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**68. (B) incorrect in her calculation of both the unadjusted  $R^2$  and the standard error of estimate.**

**Explanation**

$SEE = \sqrt{140.3 / (180 - 3 - 1)} = 0.893$

$\text{unadjusted } R^2 = (368.7 - 140.3) / 368.7 = 0.619$

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**69. (C) multicollinearity****Explanation**

The regression is highly significant (based on the F-stat in Part 3), but the individual coefficients are not. This is a result of a regression with significant multicollinearity problems. The t-stats for the significance of the regression coefficients are, respectively, 1.89, 1.31, 0.88, 1.72. None of these are high enough to reject the hypothesis that the coefficient is zero at the 5% level of significance (two-tailed critical value of 1.974 from t-table).

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**70. (A) 0.5 to 22.9****Explanation**

A 90% confidence interval with 176 degrees of freedom is coefficient  $\pm t_c (s_e) = 11.7 \pm 1.654 (6.8)$  or 0.5 to 22.9.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**71. (A) multicollinearity****Explanation**

When we use dummy variables, we have to use one less than the states of the world. In this case, there are three states (groups) possible. We should have used only two dummy variables. Multicollinearity is a problem in this case. Specifically, a linear combination of independent variables is perfectly correlated.  $X_1 + X_2 + X_3 = 1$ .

There are too many dummy variables specified, so the equation will suffer from multicollinearity.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

**72. (B) INCOME only.****Explanation**

The calculated test statistic is coefficient/standard error. Hence, the t-stats are 0.8 for POP, 3.059 for INCOME, and 0.866 for ADV. Since the t-stat for INCOME is the only one greater than the critical t-value of 2.120, only INCOME

is significantly different from zero.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**73. (B) Rejected at 2.5% significance and 5% significance.**

**Explanation**

The F-statistic is equal to the ratio of the mean squared regression (MSR) to the mean squared error (MSE).

$$RSS = SST - SSE = 430 - 170 = 260$$

$$MSR = 260 / 5 = 52$$

$$MSE = 170 / (48 - 5 - 1) = 4.05$$

$$F = 52 / 4.05 = 12.84$$

The critical F-value for 5 and 42 degrees of freedom at a 5% significance level is approximately 2.44. The critical F-value for 5 and 42 degrees of freedom at a 2.5% significance level is approximately 2.89. Therefore, we can reject the null hypothesis at either level of significance and conclude that at least one of the five independent variables explains a significant portion of the variation of the dependent variable.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**74. (C) no evidence that there is conditional heteroskedasticity or serial correlation in the regression equation.**

**Explanation**

The test for conditional heteroskedasticity involves regressing the square of the residuals on the independent variables of the regression and creating a test statistic that is  $n \times R^2$ , where  $n$  is the number of observations and  $R^2$  is from the squared-residual regression. The test statistic is distributed with a chi-squared distribution with the number of degrees of freedom equal to the number of independent variables. For a single variable, the  $R^2$  will be equal to the square of the correlation; so in this case, the test statistic is  $60 \times 0.2^2 = 2.4$ , which is less than the chi-squared value (with one degree of freedom) of 3.84 for a p-value of 0.05. There is no indication about serial correlation.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

**75. (C) Heteroskedasticity only occurs in cross-sectional regressions.**

**Explanation**

If there are shifting regimes in a time-series (e.g., change in regulation, economic environment), it is possible to have heteroskedasticity in a time-series. Unconditional heteroskedasticity occurs when the heteroskedasticity is not related to the level of the independent variables. Unconditional heteroskedasticity causes no major problems with the regression. Breusch-Pagan statistic has a chi-square distribution and can be used to detect conditional heteroskedasticity.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

- 76. (B) The variable X3 is statistically significantly different from zero at the 2% significance level.**

**Explanation**

The p-value is the smallest level of significance for which the null hypothesis can be rejected. An independent variable is significant if the p-value is less than the stated significance level. In this example, X3 is the variable that has a p-value less than the stated significance level.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 77. (B) The intercept and the coefficient on  $\ln(\text{no. of analysts})$  only.**

**Explanation**

The p-values correspond to a two-tail test. For a one-tailed test, divide the provided p-value by two to find the minimum level of significance for which a null hypothesis of a coefficient equaling zero can be rejected. Dividing the provided p-value for the intercept and  $\ln(\text{no. of analysts})$  will give a value less than 0.0005, which is less than 1% and would lead to a rejection of the hypothesis. Dividing the provided p-value for  $\ln(\text{market value})$  will give a value of 0.014 which is greater than 1%; thus, that coefficient is not significantly different from zero at the 1% level of significance.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 78. (A) 0.011 to 0.001.**

**Explanation**

The confidence interval is  $0.006 \pm (1.96)(0.00271) = 0.011$  to  $0.001$

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**79. (C) -0.019.**

**Explanation**

Initially, the estimate is  $0.1303 = 0.043 + \ln(2)(-0.027) + \ln(47000000)(0.006)$

Then, the estimate is  $0.1116 = 0.043 + \ln(4)(-0.027) + \ln(47000000)(0.006)$

$0.1116 - 0.1303 = -0.0187$ , or  $-0.019$

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**80. (A) 15.6% of the variation in returns.**

**Explanation**

$R^2$  is the percentage of the variation in the dependent variable (in this case, variation of returns) explained by the set of independent variables.  $R^2$  is calculated as follows:  $R^2 = (SSR / SST) = (0.103 / 0.662) = 15.6\%$ .

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**81. (C)  $F = 17.00$ , reject a hypothesis that both of the slope coefficients are equal to zero.**

**Explanation**

The F-statistic is calculated as follows:  $F = MSR / MSE = 0.051 / 0.003 = 17.00$ ; and  $17.00 > 4.61$ , which is the critical F-value for the given degrees of freedom and a 1% level of significance. However, when F-values are in excess of 10 for a large sample like this, a table is not needed to know that the value is significant.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**82. (B) At least one of the t-statistics was not significant, the F-statistic was significant, and a positive relationship between the number of analysts and the size of the firm would be expected.**

**Explanation**

Multicollinearity occurs when there is a high correlation among independent variables and may exist if there is a significant F-statistic for the fit of the

regression model, but at least one insignificant independent variable when we expect all of them to be significant. In this case the coefficient on  $\ln(\text{market value})$  was not significant at the 1% level, but the F-statistic was significant. It would make sense that the size of the firm, i.e., the market value, and the number of analysts would be positively correlated.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**83. (A) Intercept term.****Explanation**

The intercept term is the value of the dependent variable when the independent variables are set to zero.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**84. (B) R&D, COMP, and CAP only.****Explanation**

The critical t-values for  $40-4-1 = 35$  degrees of freedom and a 5% level of significance are  $\pm 2.03$ .

The calculated t-values are:

t for R & D =  $1.25/0.145 = 2.777$

t for ADV =  $1.0/2.2 = 0.455$

t for COMP =  $-2.0/0.63 = -3.175$

t for CAP =  $8.0/2.5 = 3.2$

Therefore, R&D, COMP, and CAP are statistically significant.)

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**85. (C) The Durbin-Watson statistic.****Explanation**

The Durbin-Watson statistic is the most commonly used method for the detection of serial correlation at the first lag, although residual plots can also be utilized. For testing of serial correlation beyond the first lag, we can instead use the Breusch-Godfrey test (but is not one of the answer choices).

(Module 1.3, LOS 1.i)

**Related Material**

SchweserNotes - Book 1

86. (A) coefficient on each dummy tells us about the difference in earnings per share between the respective quarter and the one left out (first quarter in this case).

**Explanation**

The coefficients on the dummy variables indicate the difference in EPS for a given quarter, relative to the first quarter.

(Module 1.4, LOS 1.I)

**Related Material**

SchweserNotes - Book 1

87. (A) on the following executive-specific and company-specific variables, how many shares will be acquired through the exercise of executive stock options?

**Explanation**

The number of share can be a broad range of values and is, therefore, not considered a qualitative dependent variable.

(Module 1.3 LOS 1.h)

**Related Material**

SchweserNotes - Book 1

88. (B) logistic regression model.

**Explanation**

The only one of the possible answers that estimates a probability of a discrete outcome is logit or logistic modeling.

(Module 1.4, LOS 1.m)

**Related Material**

SchweserNotes - Book 1

89. (A) 14.10.

**Explanation**

$$= 10 + 1.25 (4) + 1.0 (0.30) - 2.0 (0.6)$$

$$= 10 + 5 + 0.3 - 1.2$$

$$= 14.10$$

(Module 1.2, LOS 1.f)

**Related Material**

SchweserNotes - Book 1

90. (A) The assumption of linear regression is that the residuals are heteroskedastic.

**Explanation**

The assumption of regression is that the residuals are homoskedastic (i.e., the residuals are drawn from the same distribution).

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

**91. (B) multicollinearity****Explanation**

Multicollinearity refers to the condition when two or more of the independent variables, or linear combinations of the independent variables, in a multiple regression are highly correlated with each other. This condition distorts the standard error of estimate and the coefficient standard errors, leading to problems when conducting t-tests for statistical significance of parameters.

(Module 1.3, LOS 1.j)

**Related Material**

[SchweserNotes - Book 1](#)

**92. (B) If R&D and advertising expenditure are \$1 million each, there are 5 competitors, and capital expenditure are \$2 million, expected Sales are \$8.25 million.****Explanation**

Predicted sales =  $\$10 + 1.25 + 1 - 10 + 16 = \$18.25$  million.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**93. (A) \$509,980,000.****Explanation**

Predicted sales for next year are:

$\text{SALES} = \alpha + 0.004 (120) + 1.031 (300) + 2.002 (100) = 509,980,000.$

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**94. (C) \$206.00.****Explanation**

Sales will be closest to  $\$78 + (\$30.22 \times 2.2) + [(-412.39) \times (-\$0.15)] = \$206.34$

million

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

95. (C) at least one of the independent variables has explanatory power, because the calculated F-statistic exceeds its critical value.

**Explanation**

$MSE = SSE / [n - (k + 1)] = 132.12 / 27 = 4.89$ . From the ANOVA table, the calculated F-statistic is (mean square regression / mean square error) =  $145.65 / 4.89 = 29.7853$ . From the F-distribution table (2 df numerator, 27 df denominator) the F-critical value may be interpolated to be 3.36. Because 29.7853 is greater than 3.36, Baltz rejects the null hypothesis and concludes that at least one of the independent variables has explanatory power.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

96. (B) coefficient estimates.

**Explanation**

Conditional heteroskedasticity results in consistent estimates, but it biases standard errors, affecting the computed t-statistic and F-Statistic.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

97. (C) The regression will still exhibit multicollinearity, but the heteroskedasticity and serial correlation problems will be solved.

**Explanation**

The correction mentioned solves for heteroskedasticity and serial correlation.

(Module 1.3, LOS 1.h)

(Module 1.3, LOS 1.i)

**Related Material**

[SchweserNotes - Book 1](#)

98. (A) Multicollinearity does not seem to be a problem with the model.

**Explanation**

Multicollinearity occurs when an independent variable is highly correlated with a linear combination of the remaining independent variables. VIF values exceeding 5 need to be investigated while values exceeding 10 indicate strong evidence of multicollinearity.

(Module 1.3, LOS 1.j)

**Related Material**

[SchweserNotes - Book 1](#)

99. (A) 11.

**Explanation**

The appropriate number of dummy variables is one less than the number of categories because the intercept captures the effect of the other effect. With 12 categories (months) the appropriate number of dummy variables is  $11 = 12 - 1$ . If the number of dummy variables equals the number of categories, it is possible to state any one of the independent dummy variables in terms of the others. This is a violation of the assumption of the multiple linear regression model that none of the independent variables are linearly related.

(Module 1.4, LOS 1.i)

**Related Material**

[SchweserNotes - Book 1](#)

100. (B) The  $R^2$  is the ratio of the unexplained variation to the explained variation of the dependent variable.

**Explanation**

The  $R^2$  is the ratio of the explained variation to the total variation.

(Module 1.2, LOS 1.d)

**Related Material**

[SchweserNotes - Book 1](#)

101. (A) Transforming a variable.

**Explanation**

The four types of model specification errors are: omission of an important independent variable, inappropriate variable form, inappropriate variable scaling and data improperly pooled. Transforming an independent variable is usually done to rectify inappropriate variable scaling.

(Module 1.3, LOS 1.g)

**Related Material**

[SchweserNotes - Book 1](#)

102. (B) Brent's statement is incorrect; Johnson's statement is correct.

**Explanation**

Expected sales is the dependent variable in the equation, while expenditures for marketing and salespeople are the independent variables. Therefore, a \$1

million increase in marketing expenditures will increase the dependent variable (expected sales) by \$1.6 million. Brent's statement is incorrect.

Johnson's statement is correct. 12.6 is the intercept in the equation, which means that if all independent variables are equal to zero, expected sales will be \$12.6 million.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**103. (C) both independent variables are statistically significant.**

**Explanation**

Using a 5% significance level with degrees of freedom (df) of 17 ( $20 - 2 - 1$ ), both independent variables are significant and contribute to the level of expected sales.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**104.(B) 15.706.**

**Explanation**

The MSE is calculated as  $SSE / (n - k - 1)$ . Recall that there are twenty observations and two independent variables. Therefore, the MSE in this instance  $[267 / (20 - 2 - 1)] = 15.706$ .

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**105. (C) 2 of Brent's points are correct.**

**Explanation**

The statements that if there is a strong relationship between the variables and the SSE is small, the individual estimation errors will also be small, and also that any violation of the basic assumptions of a multiple regression model is going to affect the SEE are both correct.

The SEE is the standard deviation of the differences between the estimated values for the dependent variables (not independent) and the actual observations for the dependent variable. Brent's Point 1 is incorrect.

Therefore, 2 of Brent's points are correct.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**106. (C) \$24,200,000.****Explanation**

Using the information provided, expected sales equals  $12.6 + (1.6 \times 3.5) + (1.2 \times 5) = \$24.2$  million. Remember to check the details - i.e. this equation is denominated in millions of dollars.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**107. (B) The F-statistic.****Explanation**

To determine whether at least one of the coefficients is statistically significant, the calculated F-statistic is compared with the critical F-value at the appropriate level of significance.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**108. (A)  $R^2 = 0.20$  and  $F = 10$ .****Explanation**

$$R^2 = \text{RSS} / \text{SST} = 20 / 100 = 0.20$$

The F-statistic is equal to the ratio of the mean squared regression to the mean squared error.

$$F = 20 / 2 = 10$$

(Module 1.2, LOS 1.d)

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**109. (B) \$35.2 million above the average.****Explanation**

The model uses a multiple regression equation to predict sales by multiplying the estimated coefficient by the observed value to get:

$$[5 + (2 \times 0.10) + (3 \times 5) + (10 \times 3) + (5 \times (-3))] \times \$1,000,000 = \$35.2 \text{ million.}$$

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**110. (C) at least one of the independent variables has explanatory power.****Explanation**

From the ANOVA table, the calculated F-statistic is (mean square regression / mean square error) =  $(83.80 / 28.88) = 2.9017$ . From the F distribution table (4 df numerator, 21 df denominator) the critical F value is 2.84. Because 2.9017 is greater than 2.84, Williams rejects the null hypothesis and concludes that at least one of the independent variables has explanatory power.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**111. (B) both a Breusch-Godfrey test and a Breusch-Pagan test.****Explanation**

Since the model utilized is not an autoregressive time series, a test for serial correlation is appropriate so the Breusch-Godfrey test would be used. The Breusch-Pagan test for heteroskedasticity would also be a good idea.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**112. (C) adjusted R<sup>2</sup> value.****Explanation**

This can be answered by recognizing that the unadjusted R-square is  $(335.2 / 941.6) = 0.356$ . Thus, the reported value must be the adjusted R<sup>2</sup>. To verify this we see that the adjusted R-squared is:  $1 - ((26 - 1) / (26 - 4 - 1)) \times (1 - 0.356) = 0.233$ . Note that whenever there is more than one independent variable, the adjusted R<sup>2</sup> will always be less than R<sup>2</sup>.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**113. (A) There is a linear relationship between the independent variables.****Explanation**

Multiple regression models assume that there is no linear relationship between two or more of the independent variables. The other answer choices are both assumptions of multiple regression.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**114. (A) Multiple regression model****Explanation**

Fye wants to test a theory of January effect on stock returns (dependent variable) using a dummy (January = 1, other months = 0), market cap, and beta (independent variables). A multiple regression model would be most appropriate. Because the dependent variable (stock returns) is not a qualitative variable, a logistic regression would not apply.

(Module 1.1, LOS 1.a)

**Related Material**

[SchweserNotes - Book 1](#)

**115. (B) 1,751,000****Explanation**

Housing starts =  $0.42 - (1 \times 0.07) + (0.03 \times 46.7) = 1.751$  million

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

**116. (C) The independent variables explain 61.58% of the variation in housing starts.****Explanation**

The coefficient of determination is the statistic used to identify explanatory power. This can be calculated from the ANOVA table as  $3.896/6.327 \times 100 = 61.58\%$ .

The residual standard error of 0.3 indicates that the standard deviation of the residuals is 0.3 million housing starts. Without knowledge of the data for the dependent variable it is not possible to assess whether this is a small or a large error.

The F-statistic does not enable us to conclude on both independent variables. It only allows us to reject the hypothesis that all regression coefficients are zero and accept the hypothesis that at least one isn't.

(Module 1.2, LOS 1.d)

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

**117. (A) Adjusted R-square is a value between 0 and 1 and can be interpreted as a percentage.****Explanation**

Adjusted R-square can be negative for a large number of independent variables that have no explanatory power. The other two statements are correct.

(Module 1.2, LOS 1.d)

**Related Material**

[SchweserNotes - Book 1](#)

- 118. (A) slope coefficient in a multiple regression is the value of the dependent variable for a given value of the independent variable.**

**Explanation**

The slope coefficient is the change in the dependent variable for a one-unit change in the independent variable.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 119. (A) \$36,000.**

**Explanation**

$$1.76 + 0.23 * (150) - 0.08 * (7.5) = 35.66.$$

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 120. (B) different from zero; sales will rise by \$23 for every 100 house starts.**

**Explanation**

A p-value (0.017) below significance (0.05) indicates a variable which is statistically different from zero. The coefficient of 0.23 indicates that sales will rise by \$23 for every 100 house starts.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 121. (C) yes, because  $2.6 > 1.98$ .**

**Explanation**

The correct degrees of freedom for critical t-statistic is  $n-k-1 = 123-2-1 = 120$ . From the t-table, 5% L.O.S., 2-tailed, critical t-value is 1.98. Note that the t-stat for the coefficient for mortgage rate is directly given in the question (-2.6).

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**122. (A) the joint significance of the independent variables.**

**Explanation**

The F-statistic indicates the joint significance of the independent variables. The deviation of the estimated values from the actual values of the dependent variable is the standard error of estimate. The degree of correlation between the independent variables is the coefficient of correlation.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**123. (C) 77.00.**

**Explanation**

The question is asking for the coefficient of determination.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**124. (A) standard errors are too low but coefficient estimate is consistent.**

**Explanation**

Positive serial correlation does not affect the consistency of coefficients (i.e., the coefficients are still consistent) but the estimated standard errors are too low leading to artificially high t-statistics.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**125. (C) Breusch-Pagan.**

**Explanation**

Durbin-Watson and Breusch-Godfrey test statistic are used to detect autocorrelation. The Breusch-Pagan test is used to detect heteroskedasticity.

(Module 1.3, LOS 1.i)

**Related Material**

[SchweserNotes - Book 1](#)

**126. (C) use robust standard errors.**

**Explanation**

Using generalized least squares and calculating robust standard errors are possible remedies for heteroskedasticity. Improving specifications remedies serial correlation. The standard error cannot be adjusted, only the coefficient of the standard errors.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

**127. (B) multicollinearity****Explanation**

Common indicators of multicollinearity include: high correlation ( $>0.7$ ) between independent variables, no individual t-tests are significant but the F-statistic that are opposite of what is expected.

(Module 1.3, LOS 1.j)

**Related Material**

[SchweserNotes - Book 1](#)

**128. (C) \$320.25 million.****Explanation**

Predicted sales

$$= \$10 + 1.25 (5) + 1.0 (4) - 2.0 (10) + 8 (40)$$

$$= 10 + 6.25 + 4 - 20 + 320 = \$320.25$$

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

**129. (C) If the p-value of a variable is less than the significance level, the null hypothesis can be rejected.****Explanation**

The p-value is the smallest level of significance for which the null hypothesis can be rejected. Therefore, for any given variable, if the p-value of a variable is less than the significance level, the null hypothesis can be rejected and the variable is considered to be statistically significant.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

**130. (C) The return on a particular trading day.****Explanation**

The omitted variable is represented by the intercept. So, if we have four variables to represent Monday through Thursday, the intercept would represent returns on Friday. Remember when we want to distinguish between "n" classes we always use one less dummy variable the number of classes ( $n - 1$ ).

(Module 1.4, LOS 1.I)

**Related Material**

[SchweserNotes - Book 1](#)

- 131. (C) Adjusted R-square can be higher than the coefficient of determination for a model with a good fit.**

**Explanation**

Adjusted R-squared cannot exceed R-squared (or coefficient of determination) for a multiple regression.

(Module 1.2, LOS 1.d)

**Related Material**

[SchweserNotes - Book 1](#)

- 132. (B) A closed fund is estimated to have an extra return of 1.65% relative to funds that are not closed.**

**Explanation**

The interpretation of the coefficient is the extra return relative to the alternative outcome.

(Module 1.4, LOS 1.I)

**Related Material**

[SchweserNotes - Book 1](#)

- 133. (C) Studentized residuals.**

**Explanation**

Studentized residuals are used to identify outliers (in the dependent variable). Leverage is used to identify high-leverage observations (in the independent variable), while Cook's D is a composite measure (combines both independent and dependent variables) to identify influential observations.

(Module 1.4, LOS 1.k)

**Related Material**

[SchweserNotes - Book 1](#)

- 134. (A) Observations 10 and 19.**

**Explanation**

Influential observations are those that, when excluded, cause a significant change to the model coefficients.

Observations where Cook's  $D > \frac{\sqrt{k}}{n} = \frac{\sqrt{3}}{20} = 0.3873$ .

Observations 10 ( $D = 0.389$ ) and 19 ( $D = 0.517$ ) satisfy this criteria.

(Module 1.4, LOS 1.k)

**Related Material**

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**135. (C) 4.83%.****Explanation**

Odds =  $e^{\text{coeff}} (\text{fund size}) = e^{-2.98} = 0.0508$ .

Probability = odds / (1 + odds) = 0.0483 = 4.83%.

(Module 1.4, LOS 1.m)

**Related Material**

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**136. (C) Serial correlation occurs least often with time series data.****Explanation**

Serial correlation, which is sometimes referred to as autocorrelation, occurs when the residual terms are correlated with one another, and is most frequently encountered with time series data. Positive serial correlation can lead to standard errors that are too small, which will cause computed t-statistics to be larger than they should be, which will lead to too many Type I errors (i.e. the rejection of the null hypothesis when it is actually true). Serial correlation however does not affect the consistency of the regression coefficients.

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

**137. (C) The Breusch-Pagan test.****Explanation**

The Breusch-Pagan test is a test of the heteroskedasticity and not of serial correlation.

(Module 1.3, LOS 1.i)

**Related Material**

[SchweserNotes - Book 1](#)

**138. (B) incorrect variable form.****Explanation**

Incorrect variable form misspecification occurs if the relationship between dependent and independent variables is nonlinear.

(Module 1.3, LOS 1.g)

**Related Material**

SchweserNotes - Book 1**139. (B) There is no value to calendar trading.****Explanation**

This question calls for a computation of the F-stat for all independent variables jointly.  $F = (0.0039 / 4) / (0.9534 / (780 - 4 - 1)) = 0.79$ . The critical F is somewhere between 2.37 and 2.45 so we fail to reject the null that the coefficient are equal to zero.

(Module 1.2, LOS 1.e)

**Related Material**

SchweserNotes - Book 1

**140. (C) Breusch-Pagan, which is a one-tailed test.****Explanation**

The Breusch-Pagan is used to detect conditional heteroskedasticity and it is a one-tailed test. This is because we are only concerned about large values in the residuals coefficient of determination.

(Module 1.3, LOS 1.h)

**Related Material**

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**141. (A) Both are correct.****Explanation**

Jessica is correct. White-corrected standard errors are also known as robust standard errors. Jonathan is correct because for financial data, generally, White-corrected errors are higher than the biased errors leading to lower computed t-statistics and, therefore, less frequent rejection of the null hypothesis (remember incorrectly rejecting a true null is Type I error).

(Module 1.3, LOS 1.h)

**Related Material**

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**142. (A) Positive serial correlation.****Explanation**

Positive serial correlation is the condition where a positive regression error in one time period increases the likelihood of having a positive regression error in the next time period. The residual terms are correlated with one another, leading to coefficient error terms that are too small.

(Module 1.3, LOS 1.i)

**Related Material**

[SchweserNotes - Book 1](#)

- 143. (A) If a company spends \$1 more on R&D (holding everything else constant), sales are expected to increase by \$ 1.5 million.**

**Explanation**

If a company spends \$1 million more on R&D (holding everything else constant), sales are expected to increase by \$1.5 million. Always be aware of the units of measure for the different variables.

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 144. (B) \$36,000.**

**Explanation**

$$1.76 + 0.23 \times (150) - 0.08 \times (7.5) = 35.66.$$

(Module 1.2, LOS 1.f)

**Related Material**

[SchweserNotes - Book 1](#)

- 145. (B) Different from zero; sales will rise by \$23 for every 100 house starts.**

**Explanation**

A p-value (0.017) below significance (0.05) indicates a variable that is statistically different from zero. The coefficient of 0.23 indicates that sales will rise by \$23 for every 100 house starts.

Remember the rule p-value < significance, then reject null

(Module 1.1, LOS 1.b)

**Related Material**

[SchweserNotes - Book 1](#)

- 146. (A) the joint significance of the independent variables.**

**Explanation**

The F-statistic is for the general linear F-test to test the null hypothesis that slope coefficients on all variables are equal to zero.

(Module 1.2, LOS 1.e)

**Related Material**

[SchweserNotes - Book 1](#)

- 147. (A) 77.00.**

**Explanation**

The question is asking for the coefficient of determination.

(Module 1.2, LOS 1.d)

**Related Material**

[SchweserNotes - Book 1](#)

- 148. (B) With a test statistic of 13.53, we can conclude the presence of conditional heteroskedasticity.**

**Explanation**

Chi-square =  $n \times R^2 = 123 \times 0.11 = 13.53$ . Critical Chi-square (degree of freedom =  $k = 2$ ) = 5.99. Because the test statistic exceeds the critical value, we reject the null hypothesis (of no conditional heteroskedasticity).

(Module 1.3, LOS 1.h)

**Related Material**

[SchweserNotes - Book 1](#)

- 149. (B)  $R^2 = 0.25$  and  $F = 13.333$ .**

**Explanation**

$$R^2 = \text{RSS} / \text{SST} = 100 / 400 = 0.25$$

The F-statistic is equal to the ratio of the mean squared regression to the mean squared error.  $F = 100 / 7.5 = 13.333$

(Module 1.2, LOS 1.e)

**Related Material**

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- 150. (C) three dummy variables.**

**Explanation**

Three. Always use one less dummy variable than the number of possibilities. For a seasonality that varies by quarters in the years, three dummy variables are needed.

(Module 1.4, LOS 1.I)

[SchweserNotes - Book 1](#)

- 151. (B) Two of the three are statistically significant.**

**Explanation**

To determine whether the independent variables are statistically significant, we use the student's t-statistic, where  $t$  equals the coefficient estimate divided by the standard error of the coefficient. This is a two-tailed test. The critical value

for a 5.0% significance level and 156 degrees of freedom (160-3-1) is about 1.980, according to the table.

The t-statistic for employment growth =  $-4.50/1.25 = -3.60$ .

The t-statistic for GDP growth =  $4.20/0.76 = 5.53$ .

The t-statistic for investment growth =  $-0.30/0.16 = -1.88$ .

Therefore, employment growth and GDP growth are statistically significant because the absolute values of their t-statistics are larger than the critical value, which means two of the three independent variables are statistically significantly different from zero.

(Module 1.1, LOS 1.b)

### **Related Material**

[SchweserNotes - Book 1](#)

### **152. (A) not rejected because the t-statistic is equal to 0.92.**

#### **Explanation**

The hypothesis is:

$H_0: b_{GDP} = 3.50$

$H_a: b_{GDP} \neq 3.50$

This is a two-tailed test. The critical value for the 1.0% significance level and 156 degrees of freedom (160 – 3 – 1) is about 2.617. The t-statistic is  $(4.20 - 3.50)/0.76 = 0.92$ . Because the t-statistic is less than the critical value, we cannot reject the null hypothesis. Notice we cannot say that the null hypothesis is accepted; only that it is not rejected.

(Module 1.1, LOS 1.b)

### **Related Material**

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### **153. (A) 32%.**

#### **Explanation**

The  $R^2$  is the percentage of variation in the dependent variable explained by the independent variables. The  $R^2$  is equal to the  $SS_{\text{Regression}}/SS_{\text{Total}}$ , where the  $SS_{\text{Total}}$  is equal to  $SS_{\text{Regression}} + SS_{\text{Error}}$ .  $R^2 = 126.00 / (126.00 + 267.00) = 32\%$ .

(Module 1.1, LOS 1.b)

### **Related Material**

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### **154. (A) significant positive serial correlation in the residuals.**

#### **Explanation**

The Durbin-Watson statistic tests for serial correlation in the residuals. According to the table,  $d_l = 1.61$  and  $d_u = 1.74$  for three independent variables

and 160 degrees of freedom. Because the DW (1.34) is less than the lower value (1.61), the null hypothesis of no significant positive serial correlation can be rejected. This means there is a problem with serial correlation in the regression, which affects the interpretation of the results.

(Module 1.1, LOS 1.b)

**Related Material**

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**155. (B) 5.0%.**

**Explanation**

Predicted quarterly stock return is  $9.50\% + (-4.50)(2.0\%) + (4.20)(1.0\%) + (-0.30)(-1.0\%) = 5.0\%$ .

(Module 1.1, LOS 1.b)

**Related Material**

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**156. (C) 1.31.**

**Explanation**

The standard error of the estimate is equal to  $[SSE/(n - k - 1)]^{1/2} = [267.00/156]^{1/2} = \text{approximately } 1.31$ .

(Module 1.1, LOS 1.b)

**Related Material**

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**157. (B) 1,751,000.**

**Explanation**

Housing starts =  $0.42 - (1 \times 0.07) + (0.03 \times 46.7) = 1.751$  million

(Module 1.2, LOS 1.e)

**Related Material**

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**158. (A) The independent variables explain 61.58% of the variation in housing starts.**

**Explanation**

The coefficient of determination is the statistic used to identify explanatory power. This can be calculated from the ANOVA table as  $3.896 / 6.327 \times 100 = 61.58\%$ .

The residual standard error of 0.3 indicates that the standard deviation of the residuals is 0.3 million housing starts. Without knowledge of the data for the

dependent variable, it is not possible to assess whether this is a small or a large error.

The F-statistic does not enable us to conclude on both independent variables. It only allows us to reject the hypothesis that all regression coefficients are zero and accept the hypothesis that at least one isn't.

(Module 1.2, LOS 1.d)

(Module 1.2, LOS 1.e)

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