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**VALUING A DERIVATIVE USING
A ONE-PERIOD BINOMIAL
MODEL**

1. In order to value an option with a one-period binomial model, three things an analyst would need to know are:
 - (A) the risk-adjusted discount rate, the volatility of the price of the underlying asset, and option exercise price.
 - (B) the risk-free rate, the volatility of the price of the underlying, and the current asset price.
 - (C) the probability of an up-move, the option exercise price, and the current asset price.

2. If a European put option is trading at a higher price than that implied from the binomial model, investors can earn a return in excess of the risk-free rate by:
 - (A) buying the underlying, selling the call, and investing at the risk-free rate.
 - (B) selling the underlying, buying the call, and investing at the risk-free rate.
 - (C) buying the underlying, buying the call, and borrowing at the risk-free rate.

3. We can use the risk-free rate to value an option with a one-period binomial model because:
 - (A) combining options with the underlying asset in a specific ratio will produce a risk future payment.
 - (B) combining put and call options in specific ratio can produce a risk-free future payment.
 - (C) options investors are risk-neutral, on average.

4. Consider a stock that will have a value of either 22 or 14 one year from now. If the risk-free rate is 5%, what is the ratio of shares to short call options with an exercise price of 18 for a portfolio that will have the same value at expiration regardless of the stock price at the end of the year?
 - (A) 0.48.
 - (B) 0.53.
 - (C) 0.50.

5. One method of valuing a call option with a one-period binomial model involves:
- (A) using the probabilities of an up-move and a down-move to get the expected value of the payment at expiration.
 - (B) discounting the average call value at expiration by the risk-free rate.
 - (C) finding a combination of the call option and the underlying that will have the same value regardless of the price of the underlying at expiration.
6. An option's value is affected by:
- (A) expected probabilities of underlying price increases or decreases only.
 - (B) actual probabilities of underlying price increases or decreases only.
 - (C) both actual and expected probabilities of underlying price increases or decreases.
7. Which of the following statements best describes the effect on the no-arbitrage price of a call option on Drinsky Inc. (Drinsky) shares? A decrease in the risk-free rate will:
- (A) increase Drinsky's call option price.
 - (B) have no effect on Drinsky's call option price.
 - (C) decrease Drinsky's call option price.
8. A stock's price is currently \$30 and at the end of three months when its options expire, the stock price is expected to either go up or down by 10%. What is the value of a call option with a strike price of \$31?
- (A) \$0.70.
 - (B) \$1.30.
 - (C) \$1.00.
9. Which of the following statements regarding risk-neutrality is most accurate?
- (A) Risk-neutral pricing requires using expected return to price an option.
 - (B) Risk-neutral probabilities are determined by investor views on risk and the risk-free rate.
 - (C) Risk-neutral pricing can be applied to any model that uses future underlying asset price movements.

